

$$\square (1) (7) 3 + 2 \times (-5) = 3 - 10 \\ = -7 //$$

$$(1) 8xy^2 \div (-2y) = -4xy //$$

$$(7) \sqrt{18} + \frac{3}{\sqrt{2}} = 3\sqrt{2} + \frac{3}{2}\sqrt{2} \\ = \frac{6}{2}\sqrt{2} + \frac{3}{2}\sqrt{2} \\ = \frac{9}{2}\sqrt{2} //$$

$$(2) (x-2)^2 + 4(x-2) - 12$$

$$x-2 = A \text{ とおす}$$

$$A^2 + 4A - 12$$

$$= (A-2)(A+6)$$

$$\therefore A = x-2 \text{ より}$$

$$(x-2-2)(x-2+6)$$

$$= (x-4)(x+4)$$

$$(3) \frac{(150 \times 3) + (170 \times 6) + (190 \times 1)}{10}$$

$$= \frac{450 + 1020 + 190}{10}$$

$$= \frac{1660}{10} = 166$$

$$\therefore 166 \text{ 点} //$$

$$(4) y = ax^2 \text{ かつ } (1, 3) \text{ を代入}$$

$$3 = a \times 1^2$$

$$a = 3$$

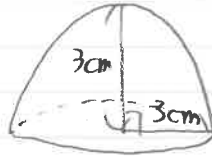
$$\therefore y = 3x^2 \text{ かつ } x = 2 \text{ を代入}$$

$$y = 3 \times 2^2$$

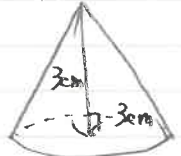
$$= 12$$

$$\therefore 12 //$$

(5) 球の体積は
半球



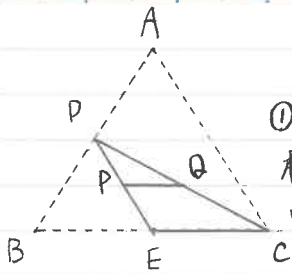
円錐



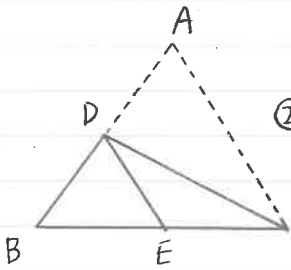
$$\left(\frac{4}{3} \pi \times 3 \times 3 \times 3 \times \frac{1}{2} \right) - \left(3 \times 3 \times \pi \times 3 \times \frac{1}{3} \right)$$

$$= 18\pi - 9\pi = 9\pi$$

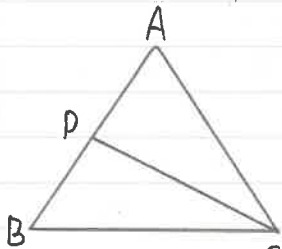
$$\therefore 9\pi \text{ cm}^3 //$$



- $\triangle DPQ = S$ とする
 ① $\triangle DPQ$ と $\triangle DEC$ は
 相似比 1:2 より
 面積比 1:4 となる
 $\triangle DEC = 4S$



- ② $\triangle DBE$ と $\triangle DEC$ は
 底辺 $BE:EC = 1:2$ で
 高が共通なので
 $\triangle DBE = \triangle DEC$
 よって
 $\triangle DBC = \triangle DBE + \triangle DEC$
 $= S + 2S$
 $= 3S$



- ③ ②と同様に
 $\triangle CAP = \triangle CBP$
 よって
 $\triangle ABC$
 $= \triangle CAP + \triangle CBP$
 $= 3S + 3S$
 $= 6S$

よって $\triangle ABC$ は $\triangle DPQ$ の 16 倍 //